Pathways in Teaching

Retreat for Women in Mathematics ICMS, Edinburgh 10 January 2023

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Overview

- Background
- Teaching path
- Reflecting on the past three years
- Formative feedback: Different types of Quizzes
- Feedback practices
- Advice



- MSc Mathematics with Teaching degree
- Y3 Y5: Algebra (National Research Competition for UG students)
- Tutoring UG classes

- PhD in Mathematics (2001-2004)
- Tutoring UG classes (new culture)



Szeged, Bolyai Institute (Hungary)



St Andrews, School of Mathematics and Statistics



2005 – 2009:Visiting Scholar at Heriot-Watt and Glasgow UniversityJoined the STEM Ambassador Network (outreach)

2010 - 2012: Visiting Scholar and Research Fellow at the Business School, University of Strathclyde
 Lecturing one MSc class and additional tutoring

2013 - 2019: Teaching Associate in the Department of Mathematics and Statistics (fixed-term contracts until 2016, Teaching Fellow from 2020)

Module leader of several UG classes, supervising student projects, advising students, supporting accreditation processes, mentoring and supporting junior members of staff, serving on teaching related committees and Faculty Exam Boards, special needs students

2015: Fellow of the Higher Education Academy2018: Senior Fellow of the Higher Education Academy



Teaching

Teaching path

Teaching: 40 - 50 credits of modules per year (3 - 4 different modules) + Project supervision (4)

Assessment: continuous components + final exam in Y1 and Y2, final exam in Y3 and Y4

Cohort-size: 130 - 220

Personal Development Adviser: around 20 - 25 students each year

Year 2 Adviser: 120 - 150 students

Pedagogical scholarship: Leadership in Teaching and Learning Networks, Senior Fellows at Strathclyde Advance HE QAA for Higher Education Psychology of Mathematics Education Network (Sheffield Hallam University) Learning Mathematics with Lean (Loughborough, Imperial) Talmo (Michael Grove, Rachel Hilliam, Kevin Houston)

Reflecting on the past three years

2020 - 21: Pivoting to online teaching was a huge challenge for everyone

To tackle some of these an Online Teaching Group was set up in our department

Weekly structure on VLE to help pace students' learning (flipped learning)

Weekly Zoom meetings (polls, GeoGebra Classroom, chat facility to engage students)

Online Quizzes (STACK, Moodle (latex package)), online submission of written work - online marking

Online open-book assessments

- 2021 22: Hybrid delivery, each student was offered to attend at least one on-campus session per week Online open-book assessments
- 2022 23: "Return to normal"?

MM302 virtual tutorials: Thursdays from 1-3pm

Reading List

Jump to:

Welcome | Revision | Week 1 | Week 2 | Week 3 | Week 4 | Week 5 | Week 6 | Week 7 | Week 8 | Week 9 | Week 10 | Week 11: Revision

Instructions: Clicking on the section name will show / hide the section.



→ Week1
Discussion Forum: Power series
Overview
Week 1 Outline of topics
To read
Introduction to Power Series Solutions
Lecture slides (2019-20)
To watch
Radius of convergence and Example 1.1
Taylor and Maclaurin series solutions: Example 1.3 - Example 1.4
Quiz
Power series: terminology and radius of convergence
! Not attempted
Power series: manipulating power series
Not attempted
To solve
1 Tutorial exercises
Tutorial exercises: final answers

Consider the power series $\sum_{n=0}^{\infty}a_n(x-x_0)^n$. The series will always converge at $x=x_0$. What interests us most, is whether there are other points for which the series converges. Fill in
the blank spaces below that describes the possible convergence behaviour of a power series:
1. The power series $ ext{at } x = x_0 ext{ and } ext{for all } x eq x_0.$
2. The power series for all $x \in \mathbb{R}.$
3. There exists a positive real number $R > 0$ such that the power series for all x such that $x_0 - R < x < x_0 + R$ and
when $x < x_0 - R$ or $x_0 + R < x$. At $x = x_0 - R$ and at $x = x_0 + R$, the series may converge or
We call R, the Formally, we set $R=0$ in the first case and $R=\infty$ in the second case. We can use the test to determine R .

In this exercise, you will need to determine the first few terms of the **sequence of partial sums** of a given power series at a given point. Based on your findings, observe whether the power series convergences or diverges at that point.

Consider the power series $\sum_{n=0}^{\infty} 2^n x^n = 1 + 2x + 4x^2 + 8x^3 + \dots$ centered at $x_0 = 0$ and consider the sequence of partial sums $S_m = \sum_{n=0}^m 2^n x^n = 1 + 2x + 4x^2 + 8x^3 + \dots + 2^m x^m$.

Exercise 1 Determine S_0, S_1, S_2 and S_3 , when x = 0 and write your answer in the boxes below.

 $S_0=$, $S_1=$, $S_2=$, $S_3=$

Observe that the limit of the sequence of partial sums exist, the power series is \diamond at x = 0. In fact, every power series is \diamond about its centre.

Exercise 2 Determine S_0, S_1, S_2 and S_3 , when x = 1, write your answer in the boxes below.

 $S_0=$, $S_1=$, $S_2=$, $S_3=$

We observe that in this case the limit of the sequence of partial sums does not exist, the power series is at x = 1. (Note ,that when x = 1, we obtain the geometric series $\sum_{n=0}^{\infty} r^n$, where r = 2. It is well known that the geometric series is divergent if r > 1.)

Exercise 3 At $x = \frac{1}{2}$, the power series becomes the geometric series $\sum_{n=0}^{\infty} \left(\frac{1}{2}\right)^n$. It is well known that the geometric series is \Rightarrow when |r| < 1.

By shifting the index of summation, the power series $\sum_{n=0}^{\infty} n(n-1)a_n x^{n+2}$ was rewritten, so that the generic term involves x^n. What is the resulting form of the power series?

Select one:

$$\bigcirc$$
 a. $\sum_{p=2}(p-2)(p-1)a_px^p.$

$$igced$$
 b. $\sum_{p=-2}(p-2)(p-1)a_{p-2}x^p$

igced c. $\sum_{p=0}(p-2)(p-3)a_{p-2}x^p.$

igcomeq d. $\sum_{p=2}(p-2)(p-3)a_{p-2}x^p$.

 $igcolor{}$ e. $\sum_{p=0} p(p-1)a_p x^p$.

Consider the function $f(x) = \ln(a - x) + \sqrt{b + x}$, where *a* and *b* are constants. Find the values of *a* and *b*, if the natural domain of *f* is dom f = [-3, 5). (Your answers should be integers.)

a =

b =

 \times

DEPA

Different types of Quizzes

Differentiate cos	$(2 \cdot x)$	$+\frac{1}{\pi^2}$	with	respect	to	x :
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Feedback: some well-received practices

Make it clear to students at the beginning of a semester how often and what type of feedback they will receive (e.g. verbal feedback during tutorials, written feedback on homework, immediate feedback on Quizzes, facilitate self-assessment)

Prompt turn-around time on written work (1-2 weeks)

Written only feedback is better than giving marks – always look at the good points, never say "This is wrong!"

Offer the opportunity to discuss any feedback comments on written work

Prepare a document discussing common mistakes on summative assessments

Advice

Join the STEM Ambassador Network <u>https://www.stem.org.uk/stem-ambassadors</u>

Apply for Advance HE (Associate) Fellowship https://www.advance-he.ac.uk/fellowship/your-routes-fellowship

Join Advance HE Connect <u>https://www.advance-he.ac.uk/advance-he-connect</u>

Sign up to TALMO http://talmo.uk/

Have a mentor

Look out for staff networks at your Institution

